

Figure 2

The bracketing procedure<sup>1</sup> requires us to start in the middle of the dictionary, either at 8 or 9. Suppose 8 is chosen; the procedure for 9 is analogous (see Fig. 2).

An "operation" consists of forming  $W-(y)$  by means of a subtraction instruction  $O$ . If the result is positive, a "probe-number"  $p$  is added to  $O_x$ , if negative it is subtracted,  $p$  is then divided by 2.

The first operation is on (8) (i.e.,  $O_x = 8$ )

with  $p = 2^2$ . After the operation  $O_x = 12$  or 4

(i.e.,  $O_x = 8 + 2^2$  or  $8 - 2^2$ ), the new probe-

number is  $p = 2^1$ .

The second operation gives a new probe-number of  $2^0$ . The third test, therefore, shows  $W$  to be in one of the 8 sets of 2 shown in the diagram.

The fourth operation is slightly different from those preceding. It can be seen that operations 1, 2, 3 each discriminate between two new addresses: the fourth discriminates between one new address and one that has been tested before.

If we now examine the dictionary entry specified by  $O_x$  at the beginning of operation 4, it can be seen that  $W$  is either in  $O_x$  or  $O_x + 1$ . (If the initial location had been 9, the alternatives would be  $O_x$  and  $O_x - 1$ .) Hitherto, dictionary subroutines we have used counted the number of operations performed and at the final operation tested  $O_x$  and its neighbor for identity with  $W$ . This latter test had to be synthesized and so required several instructions. This disadvantage can be eliminated if the final operation is similar to its predecessors.

Suppose operation 4 is similar to 1, 2, 3.

At the conclusion of the third test  $p = 2^{-1} = 1/2$ . This is a '1' in  $(O_y)_{ms}$ . The X-addresses formed are shown in Fig. 3.

If the initial location is 9 and  $(O_v)_{ms}$  prior to operation 3 is '0', the correct address of  $W$  in the dictionary will be formed in  $O_x$ . But  $O_{v..}$  is the address of the next instruction to  $O$  in the dictionary routine and is altered by the addition of  $2^{-1}$  to  $O_x$  to  $O_{v'} = O_v + 2^0$ , thus enabling a jump to occur at precisely the right moment in the sequence of operations.  $O_{v'}$  is the address of the first instruction of the routine following dictionary look-up. If the initial

1. Booth, A. D., "Use of a Computing Machine as a Mechanical Dictionary", Nature, vol. 176, Sept. 17th, 1955, p.565.

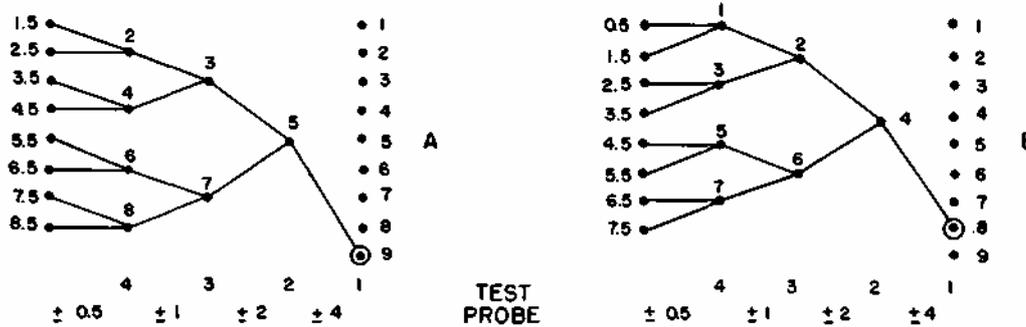


Figure 3

location is 8, W is located correctly only if  $(O_y)_{ms} = 1$  Here  $O_y' = O_y - 29$

The efficacy of this method clearly depends upon the fact that  $(O_x)_{ls}$  is next to  $(O_y)_{ms}$  (see Fig. 1). This convenient arrangement now enables us to dispense with special arrangements for the final operation, counting the number of operations performed and special orders for jumping to the next sequence. The dictionary program now occupies only 11 locations: it was used in the MT program explained below.

If the W is not in the dictionary, then this method of dictionary look-up will select the greatest entry less than W.

It might be supposed that a further increase of speed could be obtained if during each of the above operations a test for zero is made (i.e., identity between W and the dictionary entry). Suppose a dictionary of  $2^n$  entries. One dictionary entry can be located during the 1st test, 2 during the 2nd, 4 during the 3rd, ...  $2^{r-1}$

during the  $r^{th}$ , ...;  $2^{n-1} + 1$  requires n tests. (The extra 1 is an entry that cannot be located by a zero test: in the examples of Fig. 2, either 1, or 16.) Assuming that each entry is equally likely to occur in a text, the average number of operations to locate a single word is

$$m = [1.1 + 2.2 + 4.3 + \dots + r2^{r-1} + \dots + (n2^{n-1} + n)] / 2^n = n - 1 + (1 + n)/2^n.$$

Thus if n is large only one operation is saved; the extra programming required in a test for zero is therefore not worth-while with a computer without this facility.

The Basic MT Program

All data to be "recognized" were, with a few exceptions, included in the main dictionary. The input routine compared sequences of symbols between "space" marks with the dictionary entries. This routine therefore had only to recognize a "space" symbol on the input tape. All punctuation marks, and the symbol for the end of text, were included as dictionary entries. Each dictionary entry D of the main- and ending-dictionaries was confined to one storage location and had two equivalents. The second of these,  $E^2$ , was the target language equivalent of the dictionary entry. In general  $E^2$  occupied several locations. All "syntactical" operations were performed on the "first equivalents,"  $E^1$ , each of which occupied only one storage location. Each  $E^1$  was constructed uniformly and consisted of three sets of ten digits specifying addresses  $E^1(1)$ ,  $E^1(2)$ ,  $E^1(3)$ . (See Fig. 4.)

1	$E^1(1)$	10	11	$E^1(2)$	20	21	$E^1(3)$	30
address of 'next' operation			address of condition routine			address of 2nd equivalent		

Structure of First Equivalent

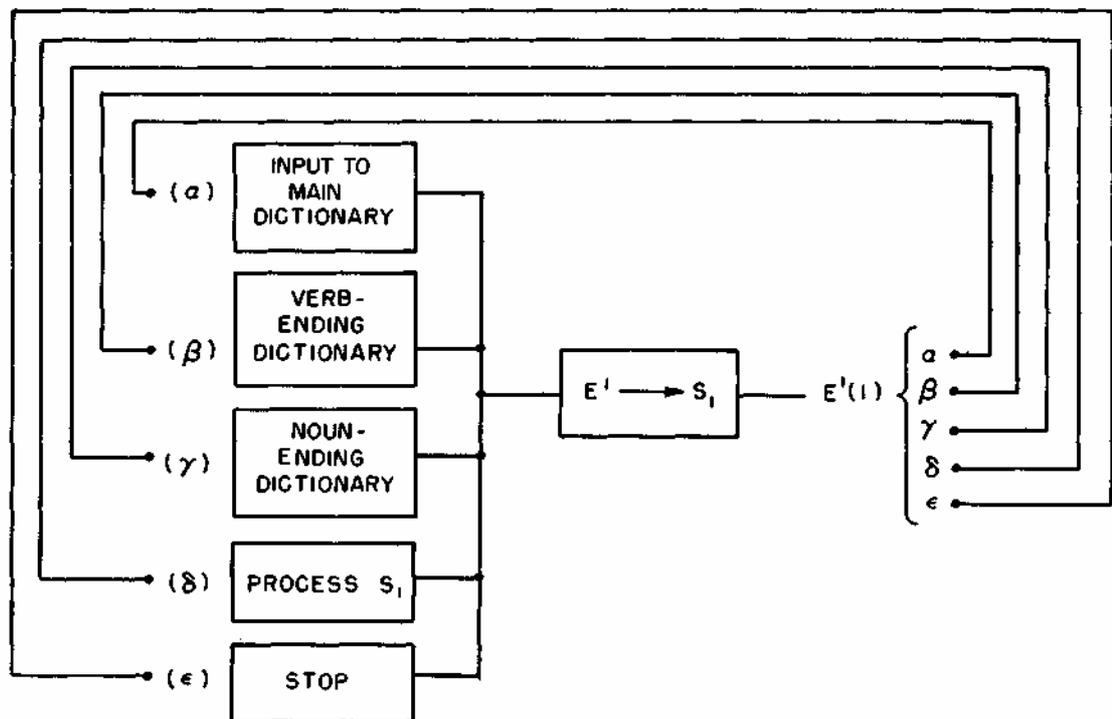
Figure 4

The address  $E^1(1)$  of  $E^1$  was used in the following manner. After an input datum had been identified (either a complete word, or stem) its first equivalent  $E^1$  was placed in a set  $S_1$  of consecutive storage locations.  $E^1(1)$  then specified the address of the first instruction of the next sequence of operations. Thus if a verb were compared with the main dictionary,  $E_i^1$  of the stem was extracted and placed in location  $n$  of  $S_1$ .  $E_i^1(1)$  then determined the next operation.  $E_i^1(1)$  for a verb stem was  $\beta$ , the address of the first order of the routine directing the dictionary look-up procedure to the verb-ending dictionary.  $E_j^1$  of the verb ending was then stored in location  $n + 1$  of  $S_1$ .  $E_j^1(1)$  was the address  $a$  of the input routine. Thus after the first equivalent of the verb stem had been stored in  $S_1$ , a new word was fed in to be compared with the entries of the main dictionary. The first equivalent of a full stop had ad-

dress  $E^1(1) = S$ , the address of the initial instruction of a routine for processing the accumulated data in  $S$ . (Fig. 5.)  $E^1(1)$  for an end-of-text symbol was  $\epsilon$ , a stop order.

A program for processing the first equivalents was constructed but was found to be too large for the available storage space and was abandoned. The plan of this routine, however, will be stated.

The processing of  $S_1$  consisted of carrying out in turn the operations whose first instructions were determined by the second address  $E^1(2)$  of each first equivalent in  $S_1$ . These operations — condition routines — had two functions. The first was to examine, where necessary, equivalents preceding and following to determine whether  $E^1(3)$  specified the correct second equivalent. The second function was to place a code number  $C$  corresponding to  $E$  in another series of locations  $S_2$ . Convenient sub-sequences of the code numbers in  $S_2$  were then compared to a "structure-dictionary." Recognition of these sub-sequences resulted in a rearrangement of the order of the recognized



The Function of First Equivalents

Figure 5

C-sequence and the corresponding  $E^1$ -sequence. The code-numbers were therefore assigned in such a manner that the sequences requiring re-arrangement could be recognized distinctly. Although in most cases this assignment coincided with the usual classification of verb, pronoun, etc., there were some C which did not correspond to these categories. Thus donn was entered in the main dictionary, with 'give' as the target language equivalent. The condition routine for this entry assigned a code number (verb<sub>1</sub>) to it. erons was an entry in the verb-ending dictionary. The condition routine determined by its first equivalent gave it a code number (verb<sub>2</sub>). The second equivalent of erons was 'will'. Thus when donnerons occurred in the input text, the first equivalents of donn and erons were placed in consecutive locations in  $S_1$ . When the condition routines were operated, the code numbers (verb<sub>1</sub>) and (verb<sub>2</sub>) were placed in order in  $S_2$ . Following these routines the structure dictionary recognized the sequence (verb<sub>1</sub>) (verb<sub>2</sub>) as one requiring transposition. The corresponding data in  $S_1$  were then transposed. Thus the final printing operation printed the target language equivalents of donn/erons in reverse order to yield 'will give'. This procedure was used to perform the pronoun-verb inversion.

The final stage of the program was a routine for printing the second equivalents. In the program which was put on APEXC the processing of  $S_1$  was omitted so that the dictionary routines were immediately followed by the print routine. The print routine printed the contents of the addresses specified by the 3rd address of the first equivalents in  $S_1$ . Each location containing a second equivalent also contained an indication of whether the content of the next location was also to be printed. By this means equivalents of any desired length could be printed.

#### Some Characteristics of the Program

This program had two important features.

Firstly, all operations within the program were carried out on the first equivalents. As these were uniformly constructed, a greater

simplicity was achieved than if the foreign language words or target language words had been processed directly.

Secondly, the distinct parts of the whole program were isolated, the linkages being supplied by the addresses in the first equivalents. Thus extra subroutines could be constructed and linked to the program merely by altering addresses in the relevant first equivalents. For instance, if a more refined condition routine was necessary for a certain set of first equivalents, this routine could be placed in the store and the second addresses of the first equivalents altered to the address of the initial order of the new routine.

The size of storage in the computer imposed severe limits on the extent and performance of the program. Thus very small dictionaries were used, although best use was made of the space available by means of stem-ending splitting. Apart from these faults, there were two inherent drawbacks of the above type of program.

The use of separate condition routines employing a matching procedure to examine the minor context of a first equivalent lead to an excessive program. A more economical approach would be to calculate correct alternatives from code numbers by some means. This would greatly reduce the storage space assigned to this particular part of the program.

Secondly, the method of effecting change of word order appears to be applicable only to subsections of languages where permutation of target language order into foreign language order is purely local. Thus if a set of  $n$  consecutive code numbers in  $S_2$  was matched by the above method to a dictionary of structures, the change of word order was confined to the corresponding set of  $n$  first equivalents only. This process was clearly incapable of dealing directly with rearrangements of blocks of words. A possible solution of the problem here would be to use two structure-dictionaries, one for permuting elements within a block, another to permute the blocks. The necessity of using a structure-dictionary will disappear when a suitable technique of calculation (as opposed to matching) has been discovered.